

CHAPTER 1 TEST

No calculators, no cell phones, organic brain activity only.

Math 231
September 19, 2008

Name: _____
By printing my name I pledge to uphold the honor code.

1. Fill in the blanks with points in coordinate notation, given that the the point $(2, 3)$ is on the graph of $f(x)$.

_____ is on the graph of $f(x) + 2$ _____ is on the graph of $3f(x)$
_____ is on the graph of $f(x + 2)$ _____ is on the graph of $f(3x)$
_____ is on the graph of $f^{-1}(x)$ _____ is also on the graph if f is even

2. Complete each of the following definitions.

A function f is *one-to-one* if:

A function f is a *power function* if:

A function f is an *odd function* if:

3. Assuming that f is a linear function, deduce the missing values in the table.

| | | | | | |
|--------|---|----|----|---|-----|
| x | 1 | 3 | | 7 | |
| $f(x)$ | 1 | -5 | -8 | | -23 |

4. Use the values given in the table to deduce the missing values.

| x | $f(x)$ | $g(x)$ | $(f - g)(x)$ | $(f \circ g)(x)$ |
|-----|--------|--------|--------------|------------------|
| 1 | 1 | 2 | | |
| 2 | 3 | | 2 | |
| 3 | | 3 | | 2 |

5. What types of functions are these? Circle ALL that apply for each function. Circle NONE if none of the options apply.

$f(x) = 3^x$ algebraic / linear / polynomial / power / rational / NONE

$g(x) = 42\pi^3 - x$ algebraic / linear / polynomial / power / rational / NONE

$h(x) = \frac{x^2 - 1}{\sqrt{x + 1}}$ algebraic / linear / polynomial / power / rational / NONE

$k(x) = 3x^5 + 2x^{-1}$ algebraic / linear / polynomial / power / rational / NONE

6. The graph of a function f is given below. List the appropriate information (write NONE if none exist). Be sure to use interval notation for the last three parts.

domain of f :

local maximums occur at:

local minimums occur at:

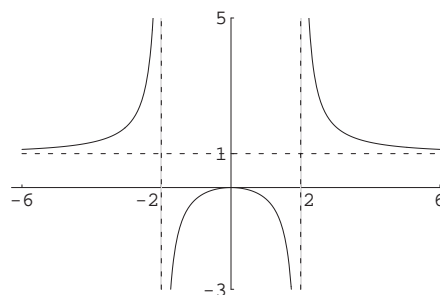
global maximums occur at:

asymptotes of f :

f is positive here:

f is negative here:

f is concave up here:



7. Given the function $f(x) = \frac{\sqrt{x+1}}{4-x}$, find the following.

$f(2) =$

$f(x-1) =$

Domain(f) =

(AROC of f on $[0, 2]$) =